

Testing Fundamental Physics

Pavel Kroupa Argelander-Institute for Astronomy University of Bonn If evial equilibrium espherical symmetry espherical symmetry from apply virial theorem to estimate $\frac{M}{L}$ $\mathcal{L}_{kin} = -\mathcal{L}_{tot} \longrightarrow \sigma^2 = G \frac{M}{R}$ $\mathcal{L}_{uninosity} \ \mathcal{L} = \pi R^2 I \qquad \mathcal{I} = \text{surf.lumin.}$













Figure 1 | The integrated mass of the Milky Way dwarf satellites, in units of solar masses, within their inner 0.3 kpc as a function of their total luminosity, in units of solar luminosities. The circle (red) points on the left refer to the newly discovered SDSS satellites, whereas the square (blue) points refer to the classical dwarf satellites discovered pre-SDSS. The error bars reflect the points where the likelihood function falls off to 60.6% of its peak value.















The spatial distribution of the MW satellites



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Okazaki & Taniguchi (2000, ApJ)		TABLE 1 Merger Scheme			
	Scheme	Collision	Parameter	Result	
"Dwarf galaxy formation induced by galaxy interactions"	1 2 3	Sp + Sp $Sp + S0$ $S0 + S0$	1 - a b 1 - b	$\begin{array}{c} \mathrm{S0} + k_1 \ \mathrm{dEs} \\ \mathrm{E} + k_2 \ \mathrm{dEs} \\ \mathrm{S0} + \mathrm{S0} + k_3 \ \mathrm{dEs} \\ \mathrm{E} + k_4 \ \mathrm{dEs} \\ \mathrm{S0} + \mathrm{S0} + k_5 \ \mathrm{dEs} \end{array}$	
	Nore.—In this scheme, a merger between two spiral galaxies evolves not into an elliptical galaxy but into an S0 one. The reason for this is as follows: It is widely accepted that elliptical- like products are formed by dissipationless collapse. Mergers between gas-rich spiral galaxies can achieve a similar physical condition in their final phase. However, if the star formation timescale is longer significantly than the dynamical timescale, the remaining gas will settle to a disk and then the end product will not become an elliptical-like galaxy. This is confirmed by explicit lead supervised methods.				
Based on the above assumption, we obtain a set of kinetic equations for morphological-type evolution as a conse- quence of galaxy interactions in the following form:		$\frac{1}{\gamma} \frac{dn_{\rm E}}{dt}$	$= bn_{S0}^2 + an_S$	₈₀ n _{Sp} ,	(3)
$\frac{1}{\gamma}\frac{dn_{\rm Sp}}{dt} = -2n_{\rm Sp}^2 - n_{\rm S0}n_{\rm Sp} , \qquad (1)$	$\frac{1}{\gamma} \frac{dn}{d}$	$\frac{dE}{dE} = k_1 n_{\text{Sp}}^2$	$+ [k_2 a + k_2]$	$_{3}(1-a)]n_{so}n_{sp}$	
$\frac{1}{\gamma}\frac{an_{\rm S0}}{dt} = n_{\rm Sp}^2 + (1 - 2a)n_{\rm Sp}n_{\rm S0} - 2bn_{\rm S0}^2 , \qquad (2)$		$+ [k_4$	$b + k_5(1 - 1)$	$b)]n_{S0}^2$,	(4)
	where n _{sp} , n spirals, S0s, mean collisic formed by c three equatic	h_{S0} , $n_{\rm E}$, and ellipticals, on rate, and one collision ons are the s	d n_{dE} are the and dwarfs $k_i (i = 1-5)$ in in each case ame as those	the number densities, respectively, γ is is the number of dy ase. Note that the e in SN81.	s of the varfs first
				ATCA The Second second	







There are thus 5 essentially independent arguments :

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